



Figure 66(3). The Global Chronological Diagram and its decomposition into the sum of four chronicles. Detailed structure. Part 3

does not depend on the condition  $a \in D$ ). Note that  $V(D)$  was especially constructed so as to fulfil the assumption; in other words, so that this set may not be “different” from  $D$  in structure.

Thus, the probability that a point from  $V$  falls into the parallelepiped  $\Pi$  (by construction, already containing one point  $a_0$ ; this is an *a priori* condition, and we do not speak of this point any more) equals  $\lambda$ . Note that we assume the point under consideration to be in  $\Pi$  independent of a fixed point  $a_0$  to fall into  $\Pi$ . Therefore, the average number of points in  $\Pi$  from  $D$  (irrespective of  $a_0$ ) is  $\lambda \cdot |D|$ . If  $\lambda \cdot |D|$  is small, then the probability that at least one point “independent” of  $a_0$  is in  $\Pi$  equals  $1 - (1 - \lambda)^{|D|} \simeq 1 - e^{-\lambda \cdot |D|} \simeq \lambda \cdot |D|$ . (For the values of  $\lambda$  and  $|D|$  under consideration, the exactness of this formula is very high.) Hence, if  $\lambda \cdot |D|$  is a quantity of the