Table 1

_	1	2	3	4	5	6	7	8	9	10	11	12
1. Russian Prima-	0	0.550	0.569	0.305		Ī		1	Ī	i i	i I	i
ry Chronicle					•						[
(850-1110	0	0.497	0.515	0.422								
A.D.) $E = 61$											}	
2. Nikiforovskaya	0.660	0	0.01	0.001						—	 	1
letopis'												
(850–1430	0.993	0	0.03	0.002								
A.D.) $E = 63$	<u> </u>											
3. Suprasl'skaya	0.840	0.001	0	0.003				1				T
letopis'												
(850–1446	0.999	0.004	0	0.003				į				
A.D.) $E = 132$												
4. Akademiches-	0.155	0.343	0.375	0								
kaya letopis'									ŀ			
(1336–1446	0.699	0.929	0.887	0						į		
A.D.) $E = 33$												
5. Dvinskoy letopisets (complete version) 0 0.015												
(1390–1717 A.D.) $E = 52$						0.012						
6. Dvinskoy letopisets (shorter version) 0.013 0												
(1390–1717 A.D.) $E = 47$ 0.012 0												
7. Nikiforovskaya letopis' 0 0.006												
$(850-1255 \text{ A.D.}) E = 31 \qquad 0 0.008$												
8. Suprasl'skaya letopis' 0.006 0												
$\begin{array}{c cccc} (850-1255 \text{ A.D.}) E = 30 & 0.005 & 0 \\ \hline 0.15 & 0.005 & $												
9. Livy's History of Rome 0 0.002												
$\frac{(757-287 \text{ B.C.}) E = 15}{10 E G = 15}$ 0 0.108												
10. F. Gregorovius' History of the city of 0.003 0												
Rome in the Middle Ages (300–754 A.D.) $E = 15$ 0.130 0												
11. Suprasl'skaya letopis' $(1336-1274 \text{ A.D.}) E = 15$											0	0.003
12. Akademicheskaya letopis'											0	0.58
(1336–1374 A.D.) $E = 15$											0.001	0
(1330-1374 A.D.) E = 13											0.111	0

With such an approach, the number of maxima for two compared texts can be different, and we must not equalize them by introducing the multiple maxima. This choice of proximity measure has been mostly determined by the simplicity of its calculation on a computer. Without doubt, the use of other natural proximity measures is possible, discovering experimentally that they can reliably distinguish between dependent and independent texts. Use a rather standard statistical technique, and find the distribution function f(R) of a random variable $R(\xi, \eta)$ for some collection of assumptions including that of independence of the vectors $T(\xi)$ and $T(\eta)$. We then find the distance R(X,Y) between two concrete texts X and Y of interest. If the